

REINFORCED
CONCRETE RAILWAY TRESTLE

BY
T. F. WOLFE

ARMOUR INSTITUTE OF TECHNOLOGY
1912

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Design of a standard
reinforced concrete railway

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THESIS
DESIGN OF A STANDARD
REINFORCED CONCRETE
RAILWAY TRESTLE

Presented by

Thomas F. Hall

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THE
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ILLINOIS INSTITUTE OF TECHNOLOGY
FOR DEGREE OF
BACHELOR OF SCIENCE IN CIVIL ENGINEERING
HAVING COMPLETED THE PRESCRIBED
COURSE OF STUDY
IN
CIVIL ENGINEERING

1912

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DESIGN OF A STANDARD

REINFORCED CONCRETE

RAILROAD TRESTLE.

PREPARED AS A

GRADUATION THESIS

BY

THOMAS F. WELLS

CHICAGO, ILL.

1910



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THE DESIGN OF A STANDARD BRIDGE FOR COMMONLY AVAILABLE MATERIALS

In railway construction numerous places are encountered where fills are prohibitive because of the nature of the ground, and where long open bridges would be too expensive to use. This is true of bays, lakes, river bottoms, and such places where there is no flow of water to speak of, but where fills would be undesirable. In these locations, since there is neither floating ice nor drifting material to look out for, there is no objection to the large number of supports necessary in traction. For these reasons the ties have been laid aside, the excellent type of railroad construction. Up to a comparatively few years ago wood was used exclusively for this class of structure, but it is now being replaced by steel and concrete.

For entire city high structures steel is used, while for all other structures concrete is most adaptable. The general design of the concrete structure follows closely the general lines of the old wooden one. Spans of from fifteen to twenty feet are used, supported either on piers, or on pile bents. The pile bents used, are practically duplicates of the wooden ones, but are entirely of reinforced concrete; they are used where the height of the structure is not so great as to cause excessive bending in the supports. In cases where bending does take place this is done and substituted

ed for the pile bent. The use of this type of pile bent is well illustrated by the large spans that are built with pile bents, so in the following work a twenty-two foot slab has been designed for this type. The great advantage of the pile bent type is the fact that it reduces the field work to a minimum, since both the slabs and piles are cast at some central yard, leaving only the pile caps to be cast at the bridge site. In the following work the complete figures are shown for the design of each part of the truss, as well as the drawings of each part and of the entire structure. The last plate shows in detail the material necessary for the various parts of the truss.

DATA

LOADING:-Live load--Coopers & Lybrand

Dead load--Weight of slab, ballast, and track.

Concrete=150# per cu. ft.

Ballast =100# " " "

Track =150# " lineal ft.

Timber = 4 1/2# " board ft.

SPACING:-American Railway Engineering and Maintenance of Way Association.

SPANS:- 12, 16, 18 and 22 feet.

Considering a depth of 1' of ballast under the tie and a tie length of 10'-0", the dead weight per foot of bridge is as follows:

Wt. of 1 tie	= 500
" " 3 cu. ft. of ballast	= 300#
" " 1 ft. of track	= 150#
Total wt. per ft.	= 950#

Since the width of slab is 14'-0" the dead load per sq. ft. of bridge=950 ÷ 14 =68

STRESS IN SLAB

A.-12 ft. span:- live load bending moment per sq. ft. =1,375,000 in. lbs.

This moment is distributed over 12 feet of slab, therefore the bending moment taken by 1 foot=1,375,000 =114,583 in. lbs. Assume weight of slab to be 300 lbs. per sq. ft.

Dead load bending moment=300 x 12 x 12 =43,200 in. lbs.

$$\text{Impact} = 368,700 \frac{500}{30+1} = 370,000 \text{ in. lbs.}$$

$$\text{Total bending moment} = 370,100 \text{ in. lbs.}$$

$$\text{Maximum live load stress} = 11,100 \times 11 = 1270,000$$

$$\text{Impact per ft} = 1270,000 \frac{500}{125} = 507,200$$

$$\text{Dead load stress per foot of width} = 3700$$

In the following list, when the following q_0 value will be used.

$$M_1 = \text{live load bending moment per unit width}$$

$$I = \text{impact}$$

$$M_2 = \text{dead load}$$

$$R_1 = \text{live load stress}$$

$$I_0 = \text{impact}$$

$$R_2 = \text{dead load}$$

$$M = \text{total bending moment}$$

$$S = \text{total stress}$$

$$M_1', I', M_2', R_1', R_2' \text{ and } S', \text{ per ft. width of slab}$$

$$S = \text{per foot of width.}$$

$$B. = 18 \text{ ft. span: } M_1 = 1,100,000 \text{ in. lbs.}$$

$$I = 1,100,000 \text{ in. lbs.}$$

$$M_2 = 700,000 \text{ in. lbs.}$$

$$I' = 368,700 \text{ in. lbs.}$$

$$M_1' = \frac{368,700 \times 12^2}{10} = 507,200 \text{ in. lbs.}$$

$$M_2' = 370,100 \text{ in. lbs.}$$

$$R_1 = 11,100$$

$$R_2 = 3700$$

$$I_0 = 507,200$$

$$M = 1,870,100$$

$$S' = M_1' + I_0' + M_2' = 17,110$$

$$\frac{15000}{15 \times 750} = \frac{1-K}{K} = 1.555$$

$$K = .426$$

$$J = 1 - 1/5K = .977$$

$$M_s = F_s A_{adj}$$

$$A = \frac{M_s}{F_s j d}$$

$$M_c = 1/2 F_c K j b d^2$$

$$F_c = \frac{2 M_c}{K j b d^2}$$

A.--15ft. SLAB:--D.=27-2 1/2=30 1/2 in.

$$M=656,100 \text{ in. lbs.}$$

$$A = \frac{656,100}{15000 \times .977 \times 20.5} = 2.50 \text{ sq. in.}$$

$$F_c = \frac{2 \times 656,100}{.426 \times .977 \times 15 \times 20.5^2} = 706 \#$$

Use 7/8 sq. in. bars spaced @ 1/2 centers.

B.--16ft. SLAB:--D.=24-2 1/2=26 1/2 in.

$$M=735,700 \text{ in. lbs.}$$

$$A = \frac{735,700}{15000 \times .977 \times 21.5} = 2.36$$

$$F_c = \frac{2 \times 735,700}{.426 \times .977 \times 15 \times 21.5^2} = 722 \#$$

Use 7/8 in. sq. bars at 5 1/2 in. centers.

C.--17ft. SLAB:--D.=25-2 1/2=27 1/2 in.

$$M=815,900 \text{ in. lbs.}$$

$$A = \frac{815,900}{15000 \times .977 \times 22.5} = 2.52 \text{ sq. in.}$$

$$F_c = \frac{2 \times 815,900}{.426 \times .977 \times 15 \times 22.5^2} = 729 \#$$

Use 7/8 in. sq. at 5" centers.

D.--22ft. slab: $D=55-3=52$ in.

$$W=1,775,150 \text{ in. lbs.}$$

$$A=\frac{1,775,150}{15000 \times 0.85} = 3.70 \text{ sq. in.}$$

$$Rc=\frac{2 \times 1,775,150}{.480 \times 52 \times 150} = 742 \text{ lb}$$

Use 1 in. round bars at 2 1/2 in. centers.

The following diagrams show where rods should be turned up to resist shear. No stirrups are needed.

LIFTING STIRRUPS

$$\text{Weight of 22 foot slab} = \frac{52}{15} \times 17 \times 22 \times 150 = 61,700 \text{ lb}$$

$$\frac{61,700}{15000} = 4.1 \text{ sq. in.} = \text{area of stirrup.}$$

Use 2 stirrups 1 5/8 in. round.

$$\text{Weight of 1-17 foot slab} = \frac{25}{15} \times 17 \times 17 \times 150 = 37,300 \text{ lb}$$

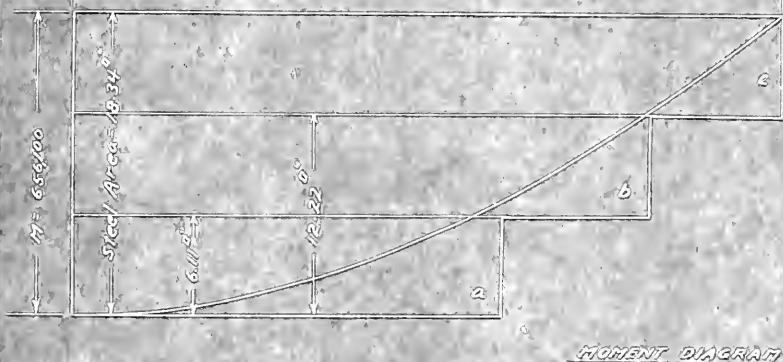
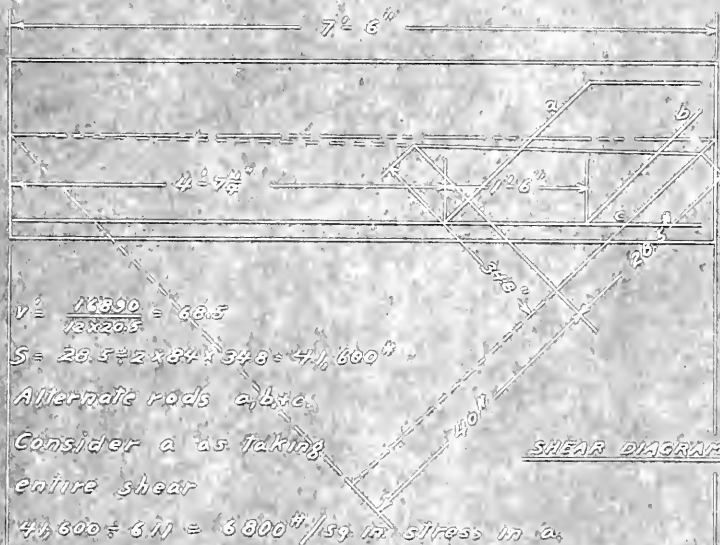
$$\frac{37,300}{15,000} = 2.49 \text{ sq. in.}$$

Use 2 stirrups 1 1/2 in. round.

15'-0" SLAB

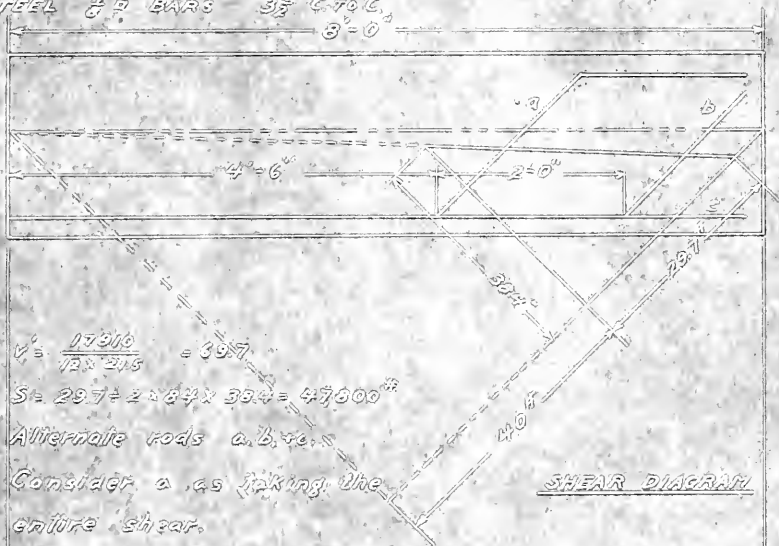
WIDTH 7'-0" DEPTH 23" DEPTH TO STEEL 20 1/2"

STEEL 3/8" Ø BARS 3 1/2" C.T.O.C.



16'-0" SLAB

WIDTH 7'-0" DEPTH 24" DEPTH TO STEEL 21 1/2"
STEEL 2" BARS 3 1/2" C.T.O. 3'-0"



$$V = \frac{17910}{12 \times 21.5} = 69.7$$

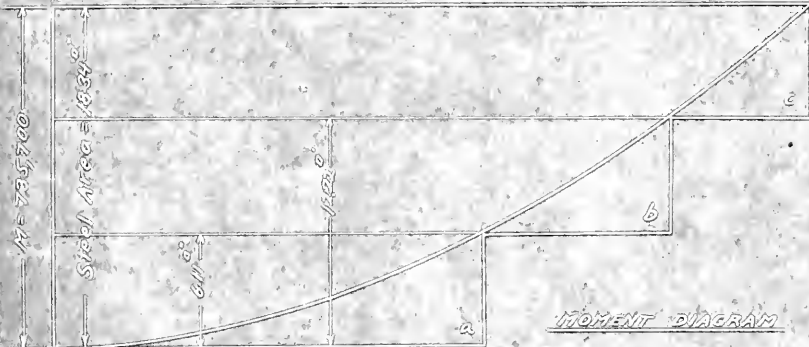
$$S = 29.7 \times 2 \times 64 \times 39.4 = 47600$$

Alternate rods a, b, etc.

Consider a as taking the entire shear.

$$47600 \div 6.11 = 7650 \text{ lbs/sq in. stress in c.}$$

SHEAR DIAGRAM



MOMENT DIAGRAM

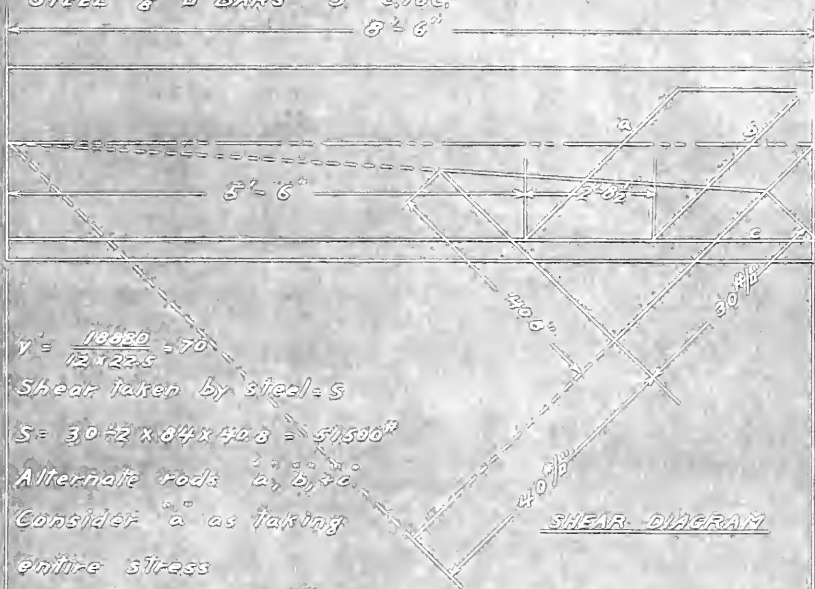


17'-0" SLAB

WIDTH 7'-0" DEPTH 25" DEPTH TO STEEL 22 1/2"

STEEL 3/8" Ø BARS 5" C.T.C.

8'-6"



$$V = \frac{10680}{12 \times 22.5} = 70$$

Shear taken by steel = S

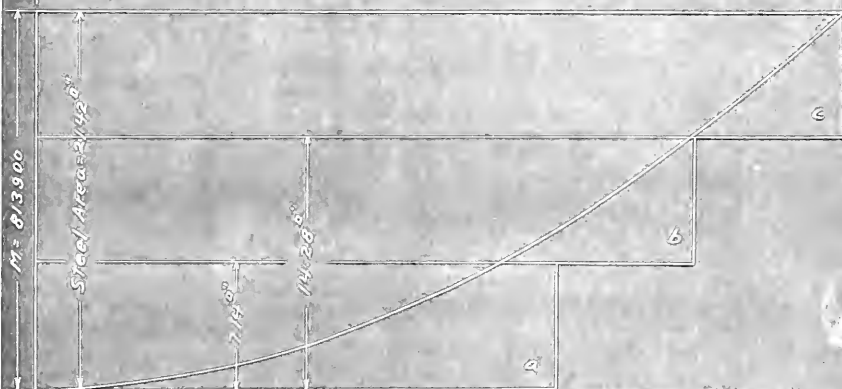
$$S = 30 \div 2 \times 0.4 \times 4.0 \div 8 = 51,500^{\#}$$

Alternate rods a, b, + c

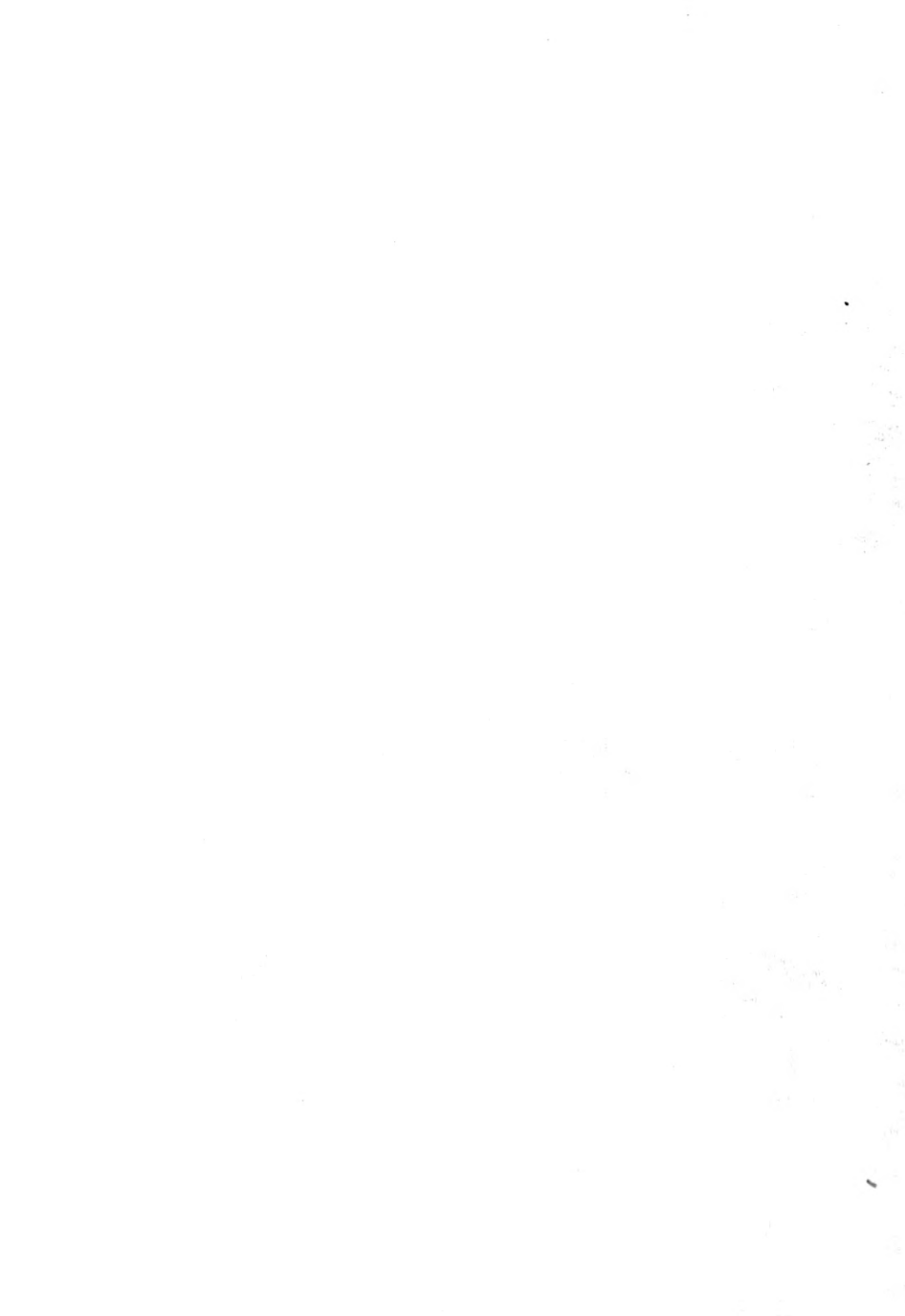
Consider "a" as taking

entire stress

$$51,500 \div 7.14 = 7230^{\#} / 59 \text{ in stress in "a"}$$

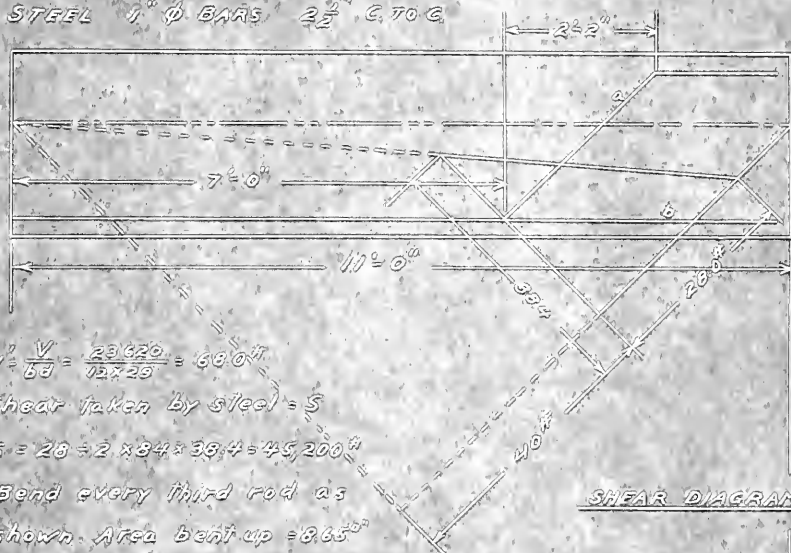


MOMENT DIAGRAM



22'-0" SLAB

WIDTH 7'-0" DEPTH 32" DEPTH TO STEEL 29"
STEEL 1" ϕ BARS 2 $\frac{1}{2}$ " C.T.O.C



$$V = \frac{V}{50} = \frac{23620}{12 \times 29} = 68.6 \text{ k}$$

Shear taken by steel = S

$$S = 28 = 2 \times 84 \times 39.4 = 45,200 \text{ lbs}$$

Bend every third rod as

shown. Area bent up = 8.65"

$$45,200 = 8.65 \times 5230 \text{ lbs/sq in stress in steel}$$





DESIGN OF PILE BENT

The maximum live load reaction at each support on two 17 foot spans is 147,200#. The dead load reaction is 390x17x14=92,500#. The total reaction=147,200+92,500 = 239,700#. While this is the reaction for a fourteen foot spans it will be used in designing the bents for all spans.

In the absence of any knowledge of the soil conditions at the trestle a pile will be considered as carrying a load of only twenty tons. This value is low enough to allow for the most unfavorable conditions.

$$239,700 \div 20 = 11,985$$

Therefore 6 piles will be used in each bent, each one fourteen inches square.

$$\text{Area of pile} = 196 \text{ sq. in.}$$

$\frac{40,000}{196} = 204 \text{ lbs per sq. in. compression on pile.}$ This value is well within the required limit.

In designing the pile cap we will assume that one pile has settled or failed, causing the cap to act as a continuous beam over a span of four feet six inches (see blue print).

$$\text{Live load reaction} = 147,200\#$$

$$\text{Dead " " " " } = 92,500\#$$

$$\text{Total " " " " } = 239,700\#$$

$$\text{Reaction per foot} = 17,100\#$$

$$\text{Weight of cap per foot} = 1,100\#$$

$$\text{Total weight " " " " } = 11,100\#$$

$$\frac{17,100 \times 4.5}{12} = \frac{11,100 \times 4.5}{12} = 4,400 \text{ in. lbs.}$$

$$A = .48 \quad f_c = 375 \quad 1271 \text{ in.}^2$$

$$A = \frac{1,128,000}{100,000 \times 1.17} = 11.00 \text{ in.}^2$$

$$A = \frac{2,112,000}{100,000 \times 1.17} = 20.00 \text{ in.}^2$$

This stress can be reduced to 7500 by using compressive steel.

$$\text{Area of tensile steel} = 1.00 \text{ in.}^2$$

$$\text{Allowed concrete stress} = 7500$$

$$\text{Per cent reduction} = \frac{7500 - 7500}{7500} = 15.0 \%$$

From table in Turneaure and Maurer we find that 15.0% of compressive steel is needed to reduce the concrete stress.

$$.005 \times 11.00 \times 1.17 = 1.77 \text{ in.}^2$$

Use 3--1 in. square bars in bottom of cap.

Use 5--1 in. " " at top " "

Maximum shear = 11,000 lb. $\frac{11,000}{10,700}$

$$\frac{11,000}{10,700} = 17.0 \%$$

Since this value is within the allowed value for concrete, no steel is needed to resist the shear.

Double pile caps will be used for every fifth bent. About 1 1/2 times as much steel will be used as in the other caps.

DESIGN OF PIERS

When the distance from base of rail to the ground exceeds sixteen feet, thin piers will be used instead of pile bents. For slabs with a twenty-two foot span, piers will be used in all cases. The pier will be designed for a twenty two foot span and the same section used for all other spans. The stresses that the pier must resist consist of direct compression, due to the weight of the structure and load, and bending moment, due to the stopping of a train on the trestle. The use of an expansion joint at each pier eliminates bending due to the expansion and contraction of the slabs, and the fact that thin piers are used reduces the wind and current stresses to a negligible quantity.

Weight of 22ft. span $= 110,500\#$

" " pier about $67,000\#$

Maximum pier reaction $= 175,400\#$

Total load on pier $= 358,900\#$

Pier cross section $= 24 \text{ in.} \times 138 \text{ in.}$

$358,900 \div 40,000 = 9$ piles needed.

$358,900 \div (24 \times 138) = 130\#$ compression.

Maximum load in one panel due to uniform train load =

$22 \times 5000 = 110,000\#$

Force acting at top of rail due to stopping of train =

$1/5 \times 110,000 = 22,000\#$

Since the height of pier is 10 ft. all assume an extreme case in designing the steel to resist bending. Assume a height of twenty feet to rail top.

$$M = 350,000 \times 20 = 7,000,000 \text{ in. lb.}$$

$$A = \frac{7,000,000}{16,000 \times 0.87 \times 10} = 10.1 \text{ sq. in.}$$

$$P_c = \frac{350,000}{.45 \times 0.87 \times 10} = 861 \text{ lb.}$$

Use 30 one inch square bars spaced uniformly across the pier.

PIER FOOTING

Assume a depth of footing of 40 inches and a fourth ft. steel of 32 inches.

Area of section resisting shear =

$$20 \times 32 = 640 \text{ sq. in.}$$

$$350,000 + 10 \times 640 = 356,400 \text{ lb.}$$

$$M = \frac{356,400}{2} \times 10 = 1,782,000 \text{ in. lb.}$$

$$A = \frac{1,782,000}{16,000 \times 0.87 \times 10} = 12.8 \text{ sq. in.}$$

Use 14-3/4 in. square bars.

$$P_c = \frac{356,400}{.45 \times 0.87 \times 10} = 907 \text{ lb.}$$



DESIGN OF ABUTMENT

The abutment shown on plate 1 will be used in all cases. We will consider a surcharge of five feet and find the earth pressure at the various depths. The stability of the abutment is determined on plate 1 using the following figures for earth pressures and weights.

$$p_1 = 7.4120 \times 17.33 = 128.40 \#$$

$$p_2 = 6.4120 \times 8.00 = 51.7 \#$$

$$P = \frac{51.7 + 128.4}{2} \times 12.5 = 1000 \#$$

This pressure P acts at a distance of 11 feet from the bottom of the footing.

$$\text{Wt. of 1 ft. of front wall} = 5540 \#$$

$$\text{" " " " " earth 1} = 3080 \#$$

$$\text{" " 2 side walls} = 15000 \#$$

$$\text{" " 2 " " " per ft.} =$$

$$\text{of abutment face} = 7720 \#$$

$$\text{Dead load reaction from 15 ft slab} = 2000 \#$$

All these forces are shown acting at their respective points of application in plate 1. They are combined graphically and the resultant R is found to fall within the middle third.

$$\text{The vertical component of this resultant is } 14730 \#$$

$$\text{Total dead load on abutment} = 14730 + 1208,000 \#$$

$$\text{Live load reaction} = 152,000 \#$$

$$\text{Total load on abutment piles} = 333,000 \#$$

$$333,000 \div 40,000 = 10 \text{ nearly.}$$

Use 10 piles in abutment.



Consider the part of wall between the diagonal and the front wall to act as a single resisting horizontal earth pressures. At the bottom the pressure is 432% per square foot is 116%

$$\text{Pressure at top } p_1 = 150.0 \text{ lb. sq. ft.}$$

$$\text{Pressure at bottom } p_2 = 432.0 \text{ lb. sq. ft.}$$

$$\text{Total pressure } = \frac{150.0 + 432.0}{2} \times 17.0 = 24000 \text{ lb.}$$

$$\text{Total tension at top } = 15000 \text{ lb.}$$

$$43000 + 15000 = 58000 \text{ lb. sq. ft.}$$

Use 14-1/2 in. rods.

Consider the part of wall between the diagonal and the front wall to act as a single resisting horizontal earth pressures. At the bottom the pressure is 432% per square foot is 116%

$$\text{Pressure at top } p_1 = 150.0 \text{ lb. sq. ft.}$$

$$\text{Pressure at bottom } p_2 = 432.0 \text{ lb. sq. ft.}$$

$$\text{Total pressure } = \frac{150.0 + 432.0}{2} \times 17.0 = 24000 \text{ lb.}$$

$$\text{Total tension at top } = 15000 \text{ lb.}$$

Use 1/2" square bars at 20 in. c/c.

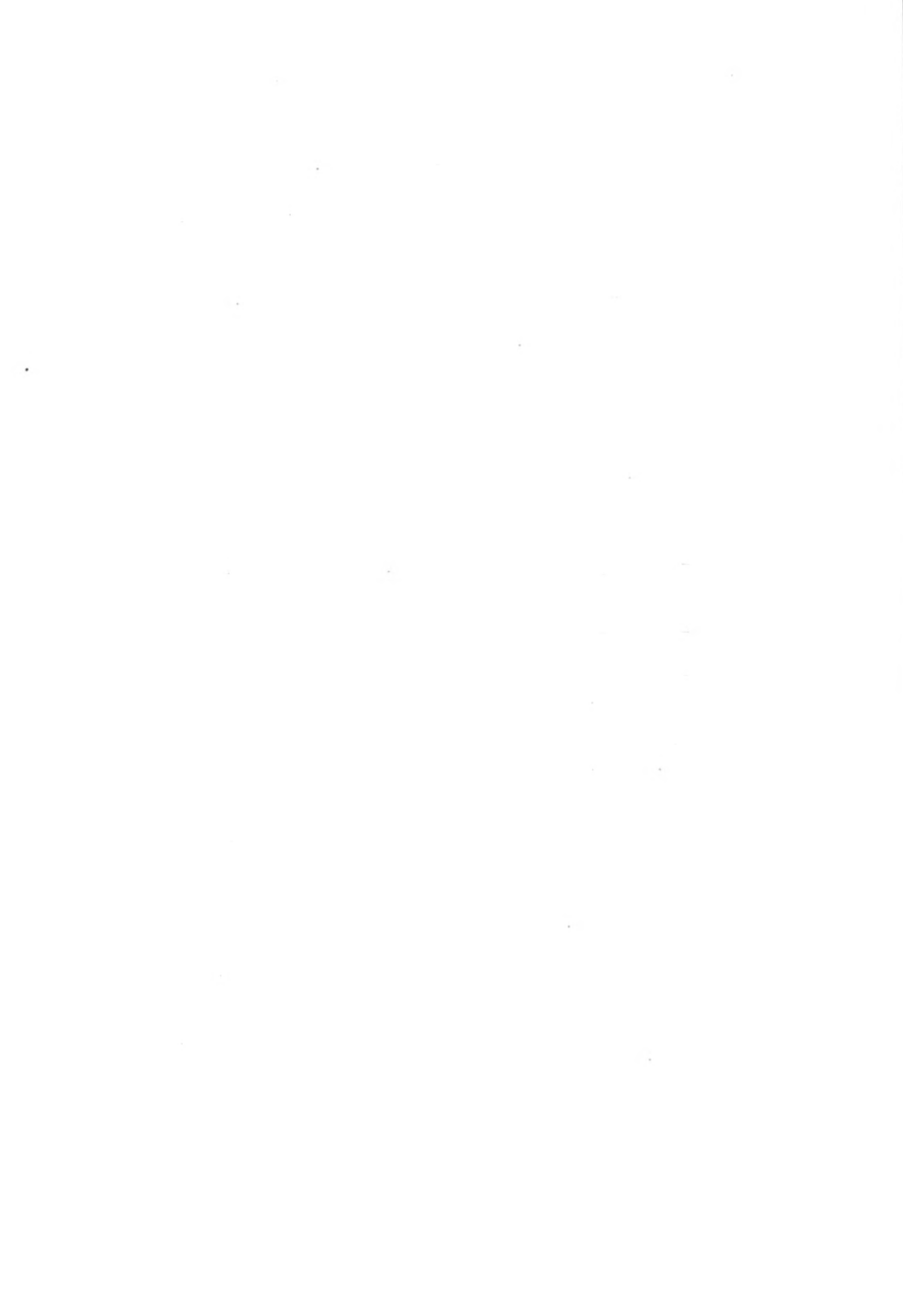
At the bottom the pressure is 432% per square foot.

$$\text{Pressure at top } p_1 = 150.0 \text{ lb. sq. ft.}$$

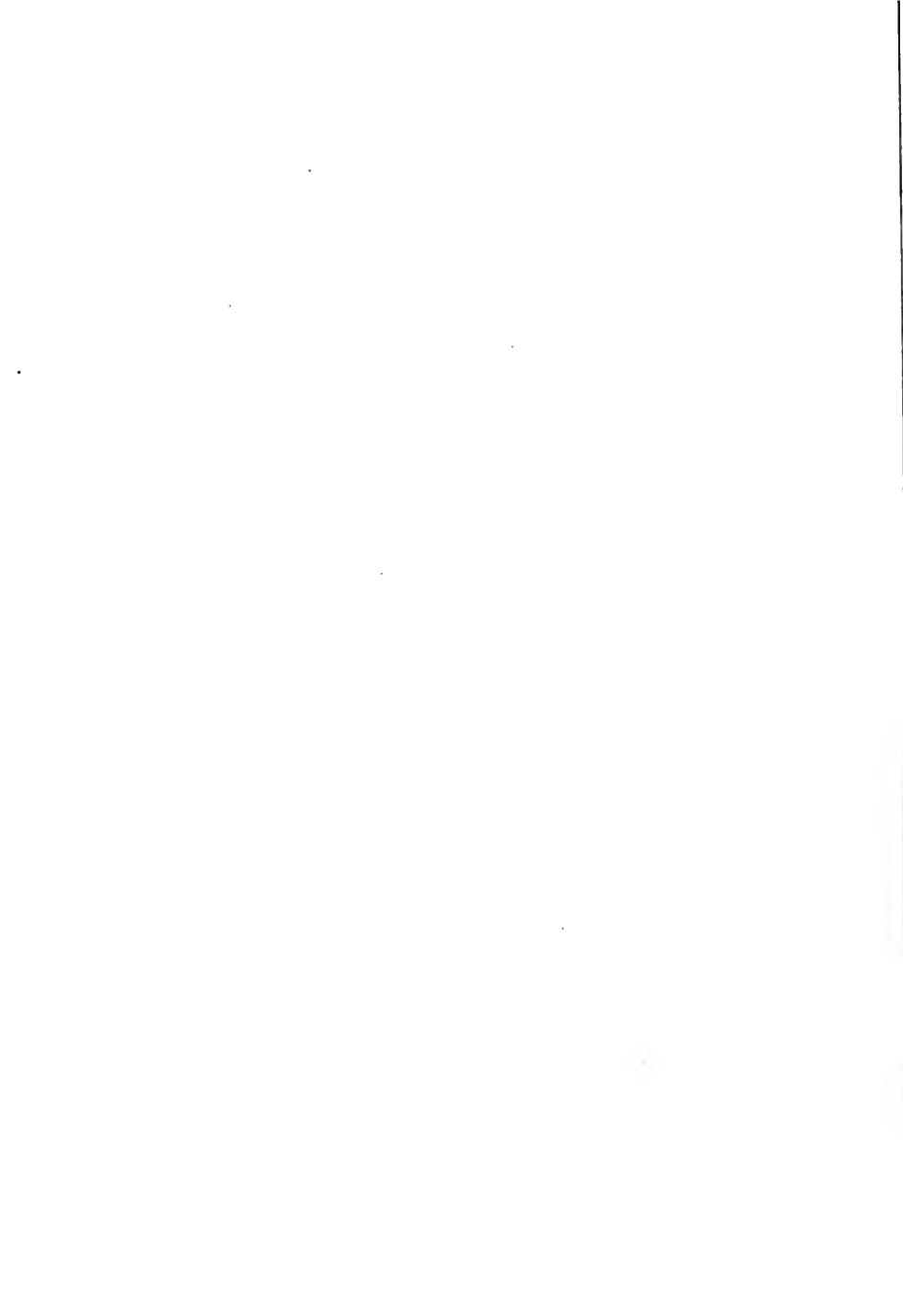
$$\text{Pressure at bottom } p_2 = 432.0 \text{ lb. sq. ft.}$$

Use 3/4" square bars at 12 in. c/c.

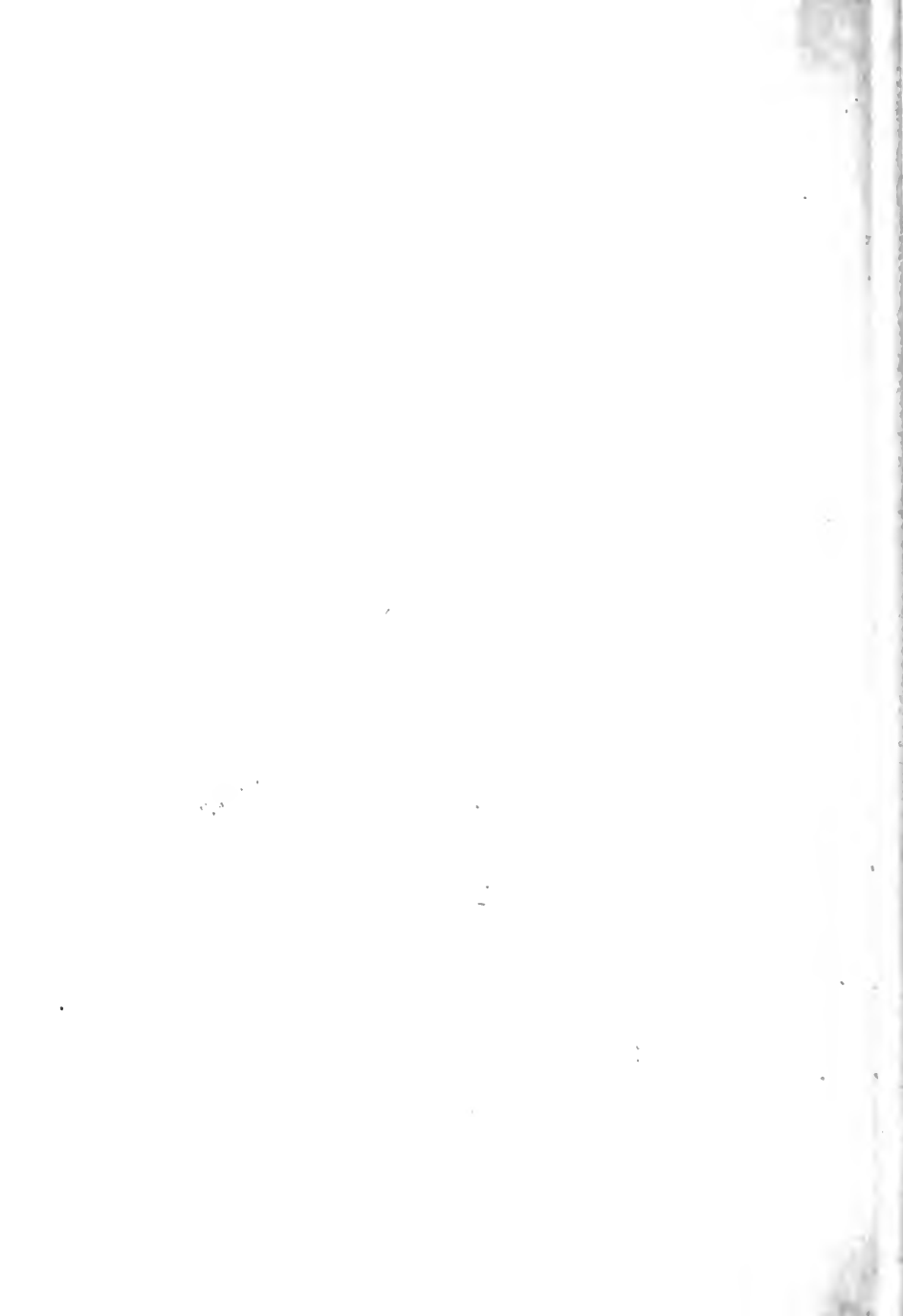
In addition to the steel reinforcement other rods are used for the purpose of holding the reinforcement in place as well as to take care of shrinkage and temperature stresses.







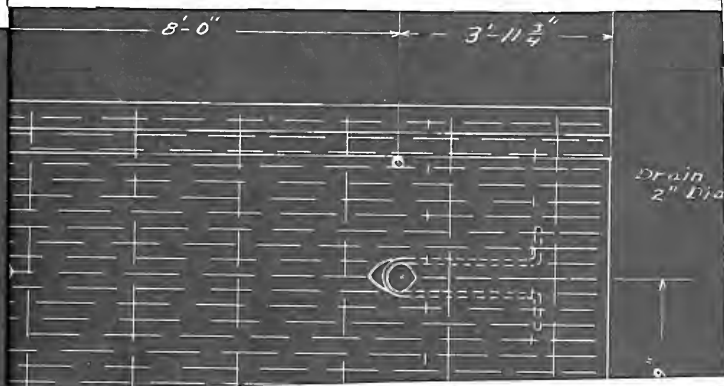


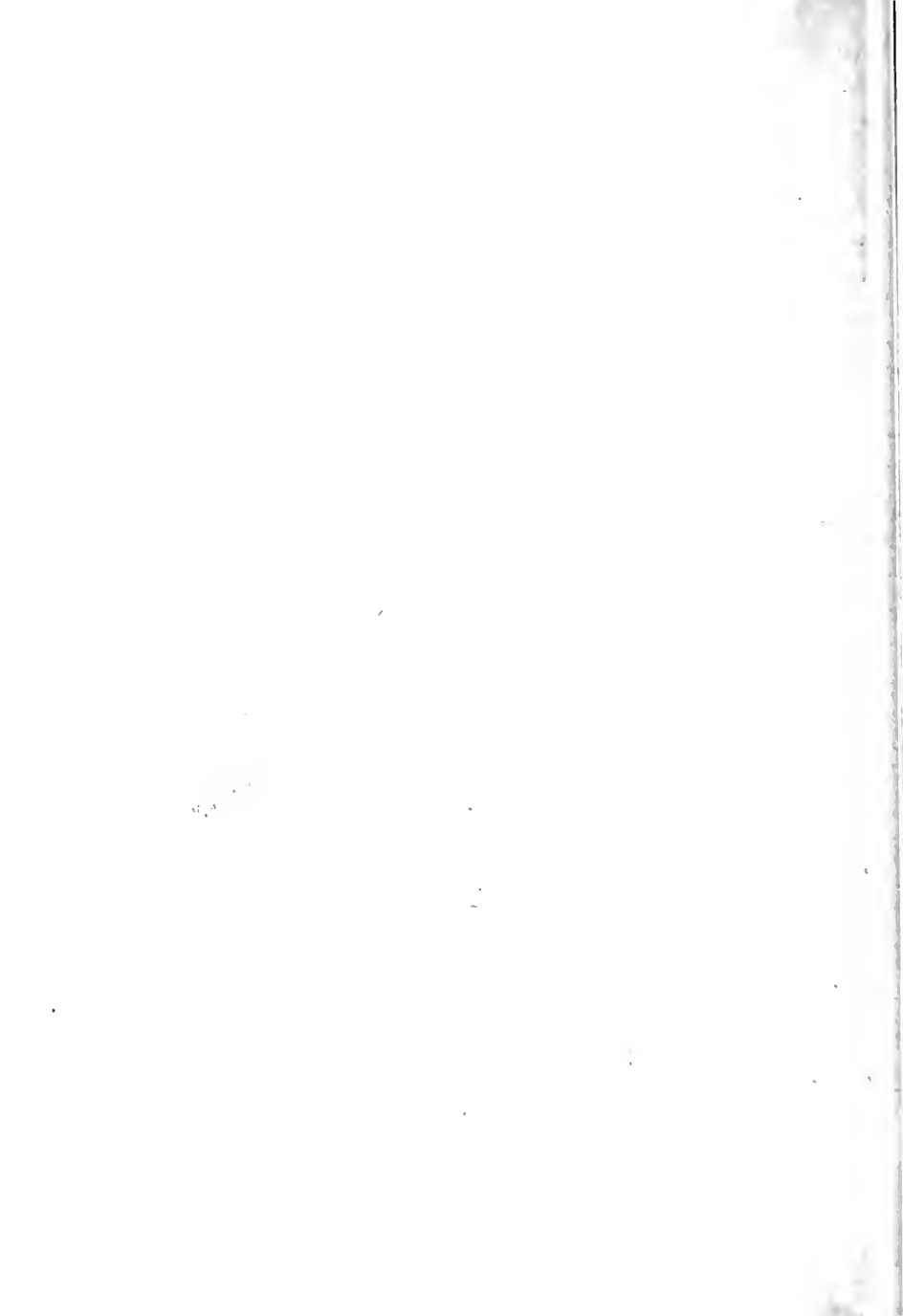


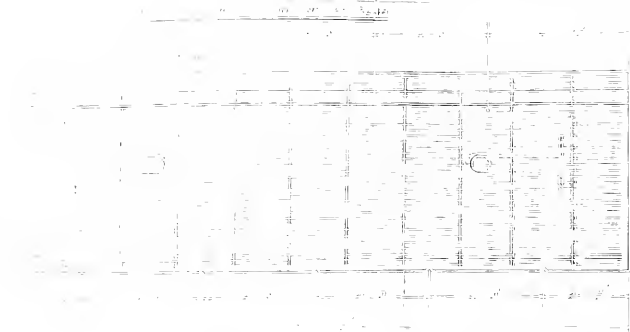
8'-0"

3'-11 $\frac{3}{4}$ "

Drain
2" Dia





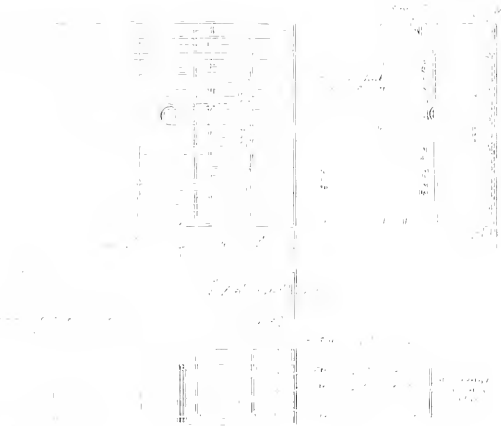


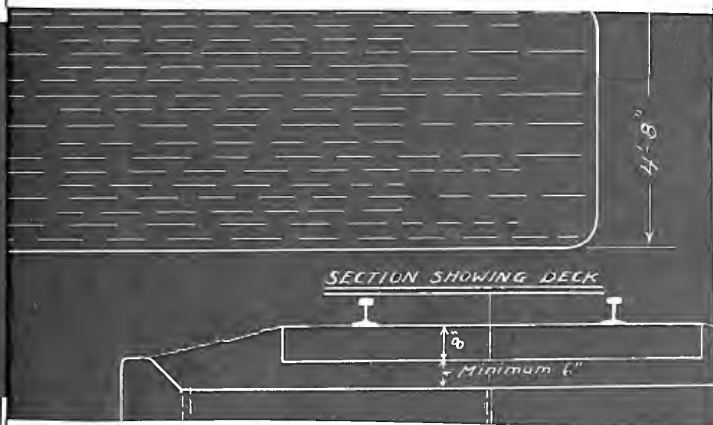
Scale 1/4" = 1'-0"



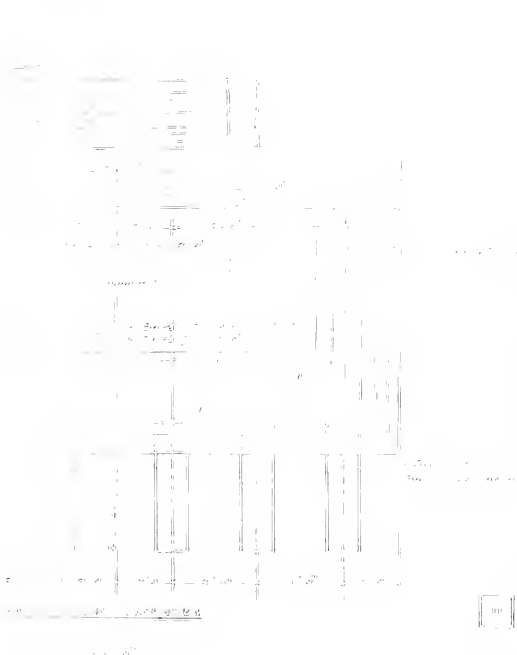
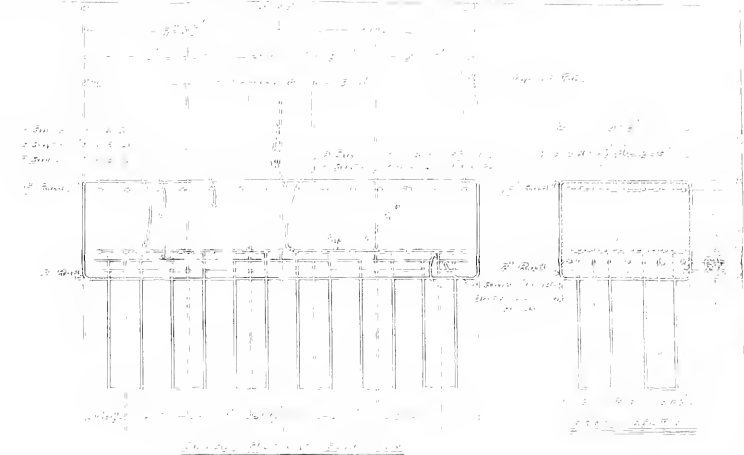
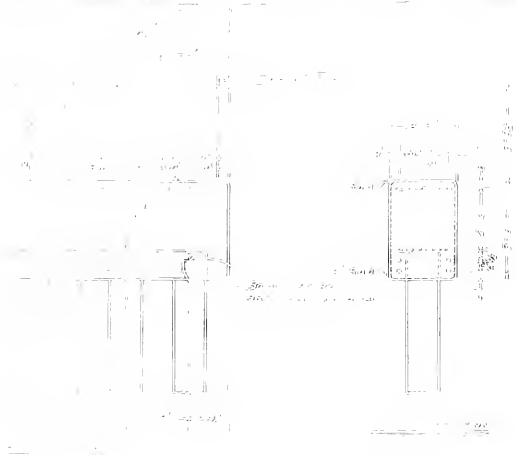
Scale 1/4" = 1'-0"

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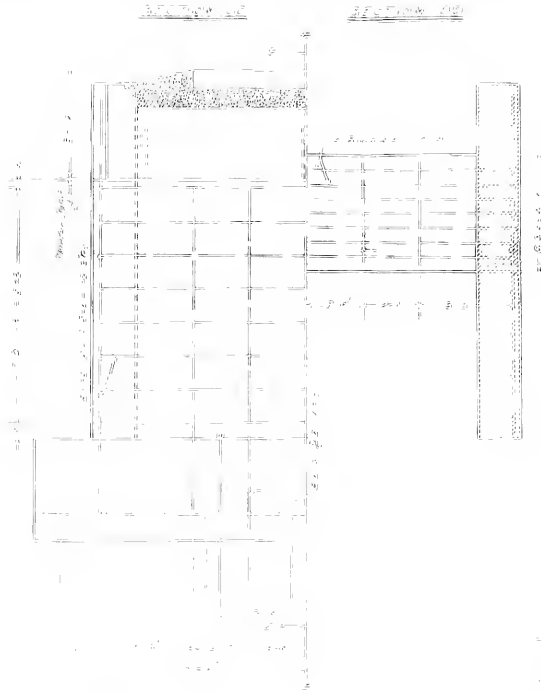
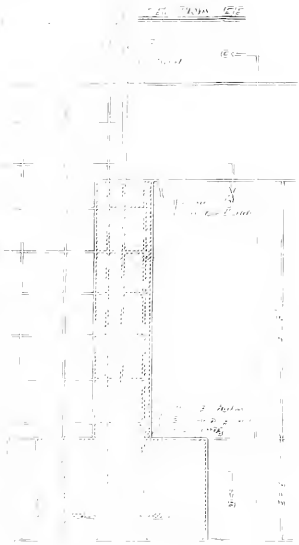




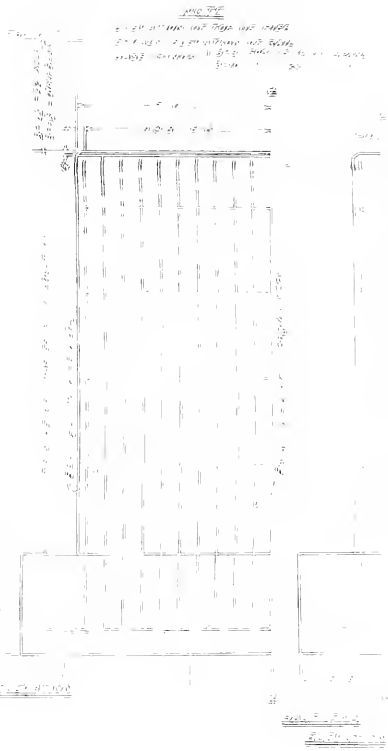






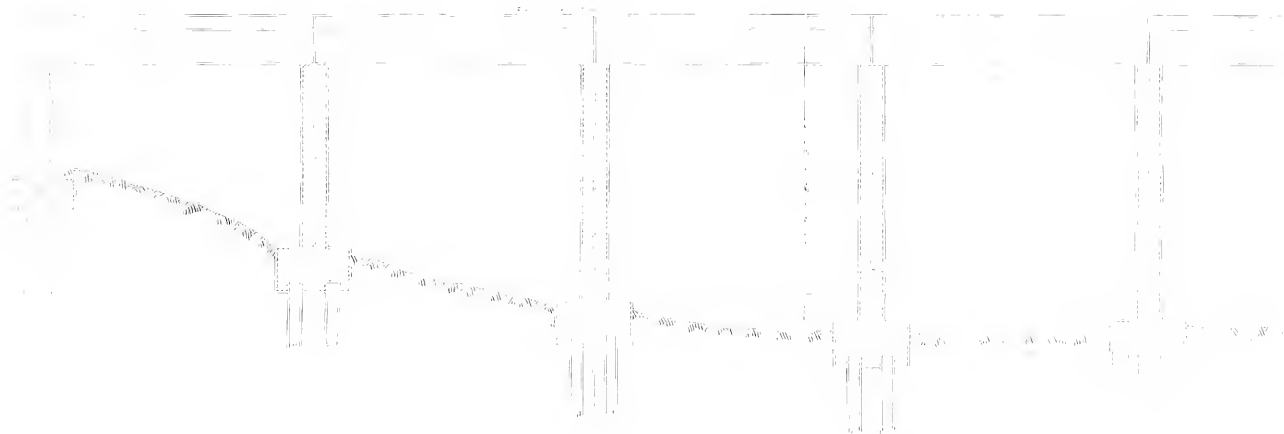
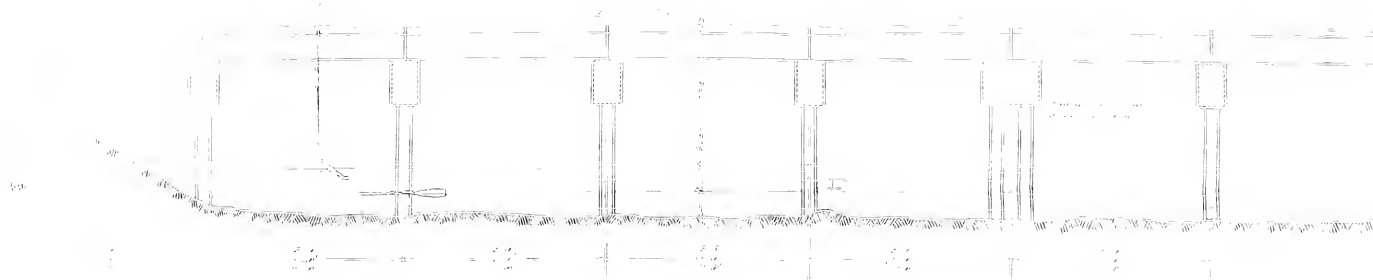


1. The building is a two-story structure with a flat roof.
 2. The ground floor is used for storage and parking.
 3. The second floor is used for office space.
 4. The building is located on a corner lot.
 5. The building is surrounded by a parking lot.



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Not to exceed 24' 0"



Handwritten notes in Chinese characters, likely describing the structure or providing dimensions. The text is written in a cursive style and is located to the right of the small rectangular structure drawing.

Handwritten notes in Chinese characters, likely describing the structure or providing dimensions. The text is written in a cursive style and is located at the bottom right of the page.



